

## Cambridge International AS & A Level

CANDIDATE NAME				
CENTRE NUMBER			CANDIDATE NUMBER	
MATHEMATIC	cs			9709/62
Paper 6 Probab	oility & Statistics 2		<b>A</b> / /	May/June 2020
		Y	AHE	1 hour 15 minutes
You must answ	er on the question p	aper.		

## INSTRUCTIONS

- Answer all questions.
- Use a black or dark blue pen. You may use an HB pencil for any diagrams or graphs.
- Write your name, centre number and candidate number in the boxes at the top of the page.
- Write your answer to each question in the space provided.
- Do not use an erasable pen or correction fluid.
- Do not write on any bar codes.

You will need: List of formulae (MF19)

- If additional space is needed, you should use the lined page at the end of this booklet; the question number or numbers must be clearly shown.
- You should use a calculator where appropriate.
- You must show all necessary working clearly; no marks will be given for unsupported answers from a calculator.
- Give non-exact numerical answers correct to 3 significant figures, or 1 decimal place for angles in degrees, unless a different level of accuracy is specified in the question.

## **INFORMATION**

- The total mark for this paper is 50.
- The number of marks for each question or part question is shown in brackets [].



packed in bags, with each bag containing 6 randomly chosen plums. If the total weight of the plums in a bag is less than 220 g the bag is rejected.					
Find the percentage of bags that are rejected.	[4]				



out a	ade A. Following a change in growing conditions at the farm, the shop management plan to carr a hypothesis test to find out whether the proportion of Grade A apples has increased. They select apples at random. If the number of Grade A apples is more than 3 they will conclude that the portion has increased.					
(a)	State suitable null and alternative hypotheses for the test.	[				
<b>(b)</b>	Find the probability of a Type I error.	[				
In fa	oot 2 of the 25 apples were Grade A					
(c)	act 2 of the 25 apples were Grade A.  Which of the errors, Type I or Type II, is possible? Justify your answer.	[				
		HEA				

3

In the data-entry department of a certain firm, it is known that 0.12% of data items are entered

	andom sample of 3600 data items is chosen. The number of these data items that rrectly entered is denoted by $X$ .	aı
<b>(i)</b>	State the distribution of $X$ , including the values of any parameters.	[]
		•••
		•••
(ii)	State an appropriate approximating distribution for $X$ , including the values of a parameters.	an
	Justify your choice of approximating distribution.	[3
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		•••
		•••
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		•••
(iii)	Use your approximating distribution to find $P(X > 2)$ .	[2
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	Another large random sample of $n$ data items is chosen. The probability that the sample contains no data items that are entered incorrectly is more than $0.1$ .					
J	Use an approximating distribution to find the largest possible value of $n$ . [3]					
•						



4 The score on one spin of a 5-sided spinner is denoted by the random variable *X* with probability distribution as shown in the table.

х	0	1	2	3	4
P(X = x)	0.1	0.2	0.4	0.2	0.1

(a)	Show that $Var(X) = 1.2$ . [2]
The four	spinner is spun 200 times. The score on each spin is noted and the mean, $\overline{X}$ , of the 200 scores is d.
<b>(b)</b>	Given that $P(\overline{X} > a) = 0.1$ , find the value of $a$ . [4]
	HEAD

ohann has another, similar, spinner. He suspects that it is biased so that the mean score is nan 2. He spins his spinner 200 times and finds that the mean of the 200 scores is 1.86.
Given that the variance of the score on one spin of this spinner is also 1.2, test Johann's suspict the 5% significance level.



The	random variable $X$ has the distribution $Po(\lambda)$ .
<b>(i)</b>	State the values that $X$ can take. [1]
It is	given that $P(X = 1) = 3 \times P(X = 0)$ .
(ii)	Find $\lambda$ .
(iii)	Find $P(4 \le X \le 6)$ .

1	Find $\mu$ .	
J	$\mu$ .	
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**6** A random variable *X* has probability density function given by

$$f(x) = \begin{cases} \frac{k}{x^2} & 1 \le x \le a, \\ 0 & \text{otherwise,} \end{cases}$$

where k and a are positive constants.

Sł	now that $k = \frac{a}{a-1}$ .		[3]
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••		 	 
₹i	and $E(X)$ in terms of $a$ .		[3
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		5.47
(c)	Find the 60th percentile of $X$ in terms of $a$ .	[4]
		AHEAD



## **Additional Page**

If you use the following lined page to complete the answer(s) to any question(s), the question number(s) must be clearly shown.

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